

Secondly, the laws must consider the harmony and balance between traditional types of services and converged services. How existing broadcasting and communication services would compete with, as well as whether various types of relevant regulations would interact with the new converged services must be examined. Therefore, new regulations on converged service or modifications on existing regulations on traditional service should reflect in-depth consideration of newly modified competitive relationships and subsequent ripple effect.

Third, new regulations must leave a room for innovation. Individual enactment of a new law whenever a new type of service appears will likely hinder the possibility of innovations. Accordingly, rather than creating individual laws for different types of services, it would be better for the promotion policy of a nation and balancing act to leave a room for innovation by constructing a general legal system that can encompass ICT-based converged service.

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## VERTICAL RESPONSE OF A HEREDITARY DEFORMABLE SYSTEM

*Botir Usmonov*

**Abstract:** *An investigation of a viscoelastic material damping effect is studied on an example of plenum air-cushion craft model. A numerical investigation was conducted to determine the vertical response characteristic of an open plenum air-cushion structure. The pure vertical motion of an air-cushion structure is investigated using a non-linear mathematical model; this incorporates a simple*

*model to account hereditary deformable characteristic of the material.*

**Key words:** *Viscoelasticity, hereditary deformable, air-cushion, integro-differential equation*

#### Introduction

The term "Viscoelastic" material has quite a broad meaning. For example, in the literature [1 to 6] there

is a use of this term if an equation of motion includes a viscous damping term; i.e., the equation of motion is written in terms of current instant values of displacement, velocity, and acceleration. In this study, the equation of motion will include the integral term and history of strain is required for its formulation. Materials yielding such a constitutive relation (requiring history) are also called viscoelastic, but the term “hereditary” materials will be used in this study to distinguish them.

Hereditary properties are present in any composite material [1, 2 and 3]. The definition of the hereditary medium will give below. At this stage, we just note that the class of viscoelastic materials includes as a subclass the hereditary materials; i.e., these two terms are not identical.

In this study, numerical integration is applied for solution of the integro-differential equation. According to the correspondence (Volterra) principle, a solution of the viscoelastic problem can be obtained from a solution of the corresponding elastic problem be replacement of elasticity constants by their hereditary analogs (integral operators).

In this study, the use of exponential terms for relaxation kernels is utilized.

**Model of hereditary dynamic system**

Consider disturbed motion of system near equilibrium with a view to sustain only vertical motion.

As to the constitutive relations, there are different models in use. Different models of viscoelastic material are discussed in references [4, 5, and 6].

In this study, we build model, which based on a constitutive law of the form:

$$a\dot{\sigma} + \sigma = b\dot{y} + cy, \quad (1)$$

where

$$\sigma = \frac{b}{a} \left[ y(t) - \gamma y^3(t) \right] - \int_0^t R(t-\tau) \left[ y(\tau) - \gamma y^3(\tau) \right] d\tau \quad (5)$$

The relation (5) is fairly common because in particularity can be obtained by standard model of viscoelastic body with kernels of relaxation (3). If considered that nonlinearity is  $\gamma = 0$ , will be obtained known linear relation of the hereditary theory.

The equation of motion will be:

$$\ddot{U}(t) + \left[ U(t) - \gamma U^3(t) \right] - (\mu - N) \int_0^t \Gamma(t-\tau) \left[ U(\tau) - \gamma U^3(\tau) \right] d\tau = 0, \quad (7)$$

where  $\mu = \frac{3nP_0}{2P_{U_0}}$ ,  $N = \frac{H}{h_0}$ ,

$\Gamma(t-\tau) = A_0 e^{-\beta(t-\tau)} (t-\tau)^{a-1}$ . The initial conditions are

$$U(0) = U_0, \quad \dot{U}(0) = \dot{U}_0 \quad (8)$$

The equation (7) with initial conditions (8)

$$\sigma = F\Delta P, \quad \theta = \frac{\rho_0 V_0}{G_0}, \quad a = \frac{2\theta P_{U_0}}{3nP_0},$$

$$b = \frac{2\theta P_0}{3H} = \frac{2mg\theta}{3H}, \quad c = \frac{2P_{U_0} F}{3h_0} = \frac{2mg}{3h_0}$$

In the references [1-6] are listed the different standard models of viscoelasticity. Therefore, viscoelastic system (1) have the properties of complex viscoelastic suspension and the relation between  $\sigma$  and  $y$ , can be written as a hereditary type of exponential kernel of relaxation

$$\sigma = \frac{b}{a} \left[ y(t) - \int_0^t R(t-\tau) y(\tau) d\tau \right], \quad (2)$$

where

$$R(t-\tau) = \left( \frac{1-c}{a} - \frac{c}{b} \right) e^{-\frac{1}{a}(t-\tau)} \quad (3)$$

However the model of viscoelastic system (2) with exponential kernel (3) includes creep strain, and stress relaxation, but have one major weakness such as  $\dot{y}(t)$  in initial time has the final values, and do not fulfilled with experiment. This disadvantage easily overcome by use of weak-singularity features of the relaxation kernel (3) following from [3]:

$$R(t-\tau) = \left( \frac{1-c}{a} - \frac{c}{b} \right) e^{-\frac{1}{a}(t-\tau)} (t-\tau)^{a-1}, \quad 0 < a < 1. \quad (4)$$

The fact, when model of the system is made of composite materials [4], then relation between  $\sigma$  and  $y$  must obey the law of hereditary non-linear theory viscoelasticity such:

$$m\ddot{y}(t) + \sigma = 0 \quad (6)$$

Substituting (5) into (6) is built weak singular integro-differential equation of nonlinear hereditary deformable system. This equation in dimensionless coordinates can be written in next form

represent a mathematical model of hereditary deformable system.

**Numerical example**

The results of calculations of steady state responses according to the expression of previous sections are presented below.

As example will be calculated vertical dynamic response of plenum air cushion craft. Both theoretical

and experimental research [9, 10] has been performed to study the vertical motion and /or stability of various air cushion design configurations. The theoretical works [10] have been based on linear approaches to analyses air cushion vertical responses. Since air cushions are nonlinear, the application of linear analysis may be insufficient to predict fully the air cushion dynamic response behavior. Furthermore, any nonlinearity in air cushion response will have a direct bearing.

In this section presents the results of a numerical

investigation to determine the dynamic behavior (in vertical) of a simple plenum air cushion suspension system in response to steady-state disturbances. The linear and nonlinear viscoelastic behavior of the system is examined.

An air-cushion craft structure is loaded by a vertical pressure load  $P$ , which is graphically presented in Figure 1 for a mass flow rate  $Q$  ( $Q_{in}$  and  $Q_{out}$ ) to cushion.

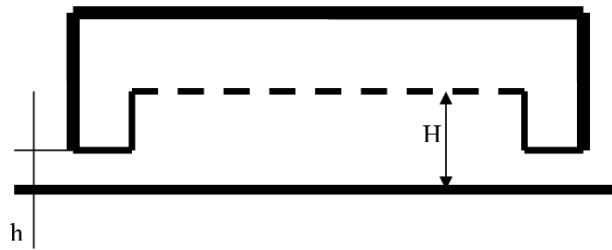


Figure 1. A Plenum Air Cushion scheme.

From this Figure 1 geometry of the air cushion represented by  $h$ -distance between ground and lower surface of the air cushion body and  $H$  is average height of the air cushion. Motion parameters of the air cushion can be described by

$$V = V_0 \left(1 - \frac{y}{H}\right) \text{ and } h = h_0 \left(1 - \frac{y}{h_0}\right), \quad (9)$$

where  $y = h_0 - h$  (displacement of the air cushion).

Relation between inner volume pressure and density of air equal to  $p\rho^n = const$ , where  $n$  is polytropic parameter of air.

$$U_n = U_0 + t_n U_0 - \sum_{j=1}^{n-1} a_j (t_n - t_j) \left[ U_j - \gamma U_j^3 - \frac{(\mu - N)A_0}{a} \sum_{k=0}^j B_k e^{-\beta t_n} [U_{j-k} - \gamma U_{j-k}^3] \right], \quad (10)$$

where

$$t_n = n\Delta t, \quad a_j = \Delta t, \quad a_0 = a_n = \Delta t/2$$

$$j = 1, n-1; \quad k = 1, j-1$$

$$B_0 = \Delta t^a / 2; \quad B_j = \Delta t^a [j^a - (j-1)^a] / 2$$

$$B_k = \Delta t^a [(k+1)^a - (k-1)^a] / 2$$

To solve equation (10) is setup technical and kinematical characteristic of the air cushion as

followed:  $h_0$  – distance between lower surface of the air cushion and ground equal [0.02-0.12] meter; average height of the air cushion height is 1.25 meter;  $n = 1.4$  and pressure ratio is 1.2. Rheological and nonlinearity parameters are varied for calculation of elastic, viscoelastic, and linear vis a versa nonlinear cases.

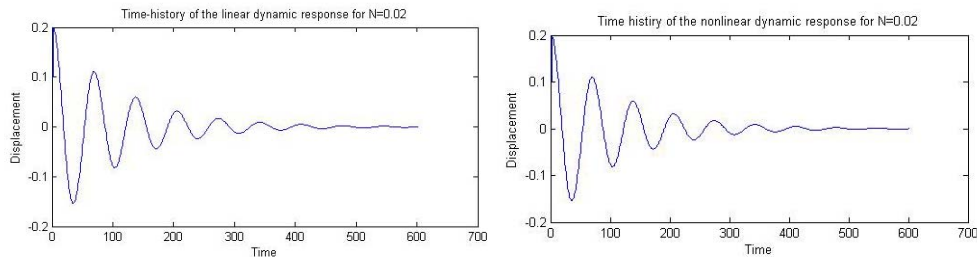


Figure 2. Time history of the vertical dynamics responses for  $N=0.02$  (a) linear case and (b) nonlinear case

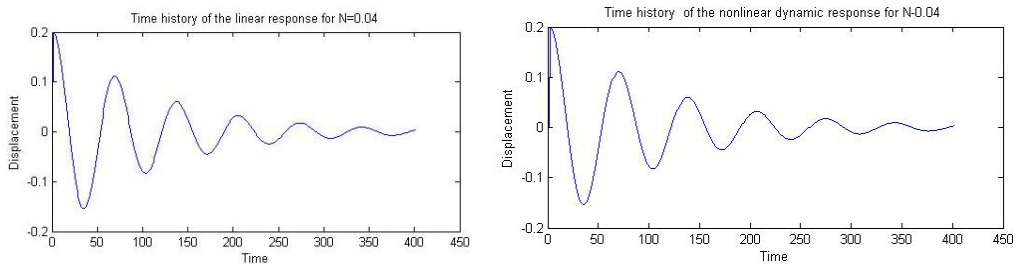


Figure 3. Time history of the vertical dynamics responses for  $N=0.04$  (a) linear case and (b) nonlinear case

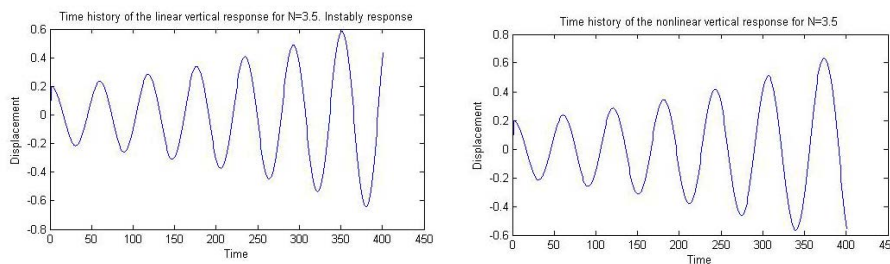


Figure 4. Time history of the vertical dynamics responses for  $N=3.5$  (a) linear case and (b) nonlinear case

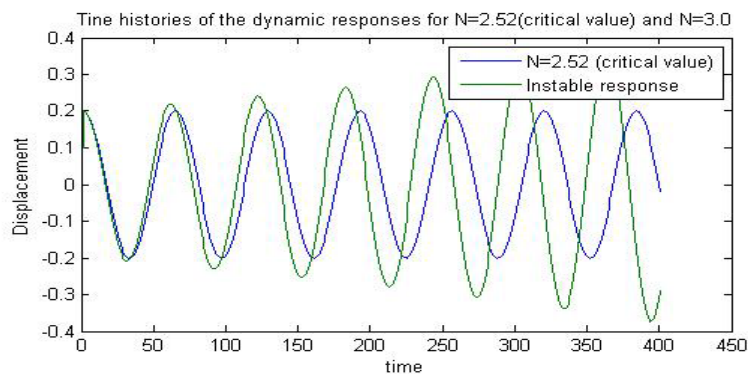


Figure 5. Comparison of dynamic responses.

From analysis of solutions of the equation (7) follows that  $\mu - N > 0$  in both linear and non-linear case is taking place damped oscillatory process. The damping speed and dissipation characteristics of the system are significantly dependent on the rheological parameters  $A_0$ ,  $\beta$  and  $a$ . When system has smaller the singularity parameter  $a$  of the structure material, then damping properties of this material is higher. The self-vibrating is occurs only if  $\mu - N < 0$ . Effect of physical non-linearity's and rheological parameters on the critical speed  $N_{cr}$  is not difficult to show, through computer experiment based upon an algorithm (9).

### Conclusions

Application of the numerical integration method to hereditary deformable problem is demonstrated. In this study the numerical solution in the time domain

for dynamic problem (stability and flutter problem) have been presented.

The constitutive relation (stress-strain) was used in form of a hereditary law with the relation kernel represented by Abelian type function.

Numerical experiments for a problem of system bending vibration under force have been conducted. Finally, a understanding of viscoelastic phenomena may be exploited to damping in a manner that improves stability of the craft.

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